

Efficient out-of-distribution detection for reliable deployment of DNNs

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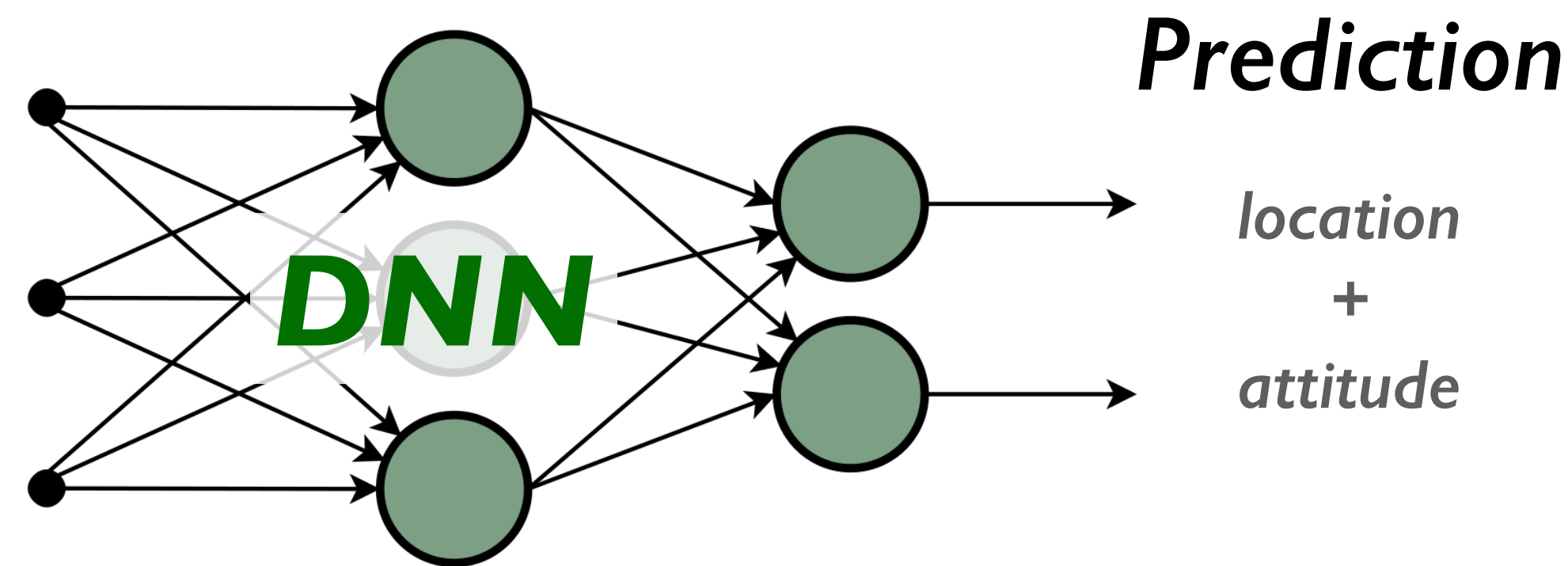
joint work with Somrita Banerjee, Navid Azizan, and Marco Pavone

GSAW 2022

Approved for public release

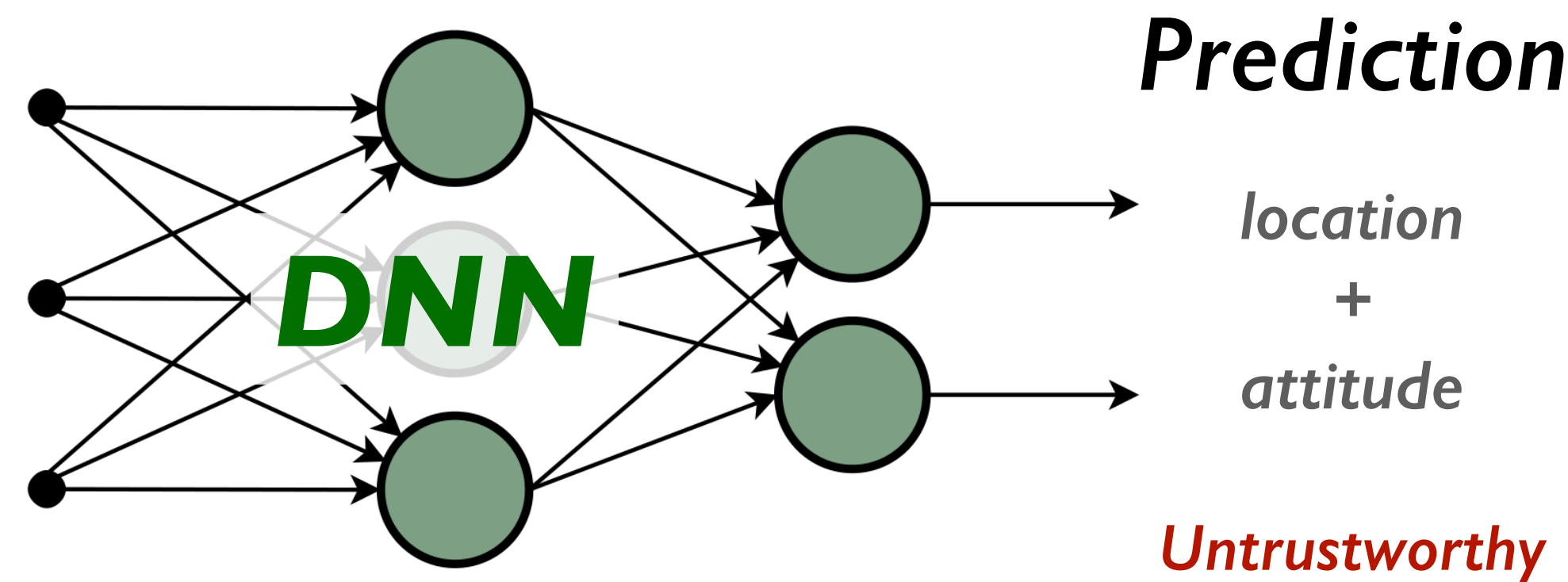


Machine learning tools can provide key capabilities for space ground systems



DNNs can provide **data-driven predictions** in **real-time** on **high-dimensional** perceptual inputs

Machine learning tools can provide key capabilities for space ground systems



DNNs can provide **data-driven predictions** in **real-time** on **high-dimensional** perceptual inputs

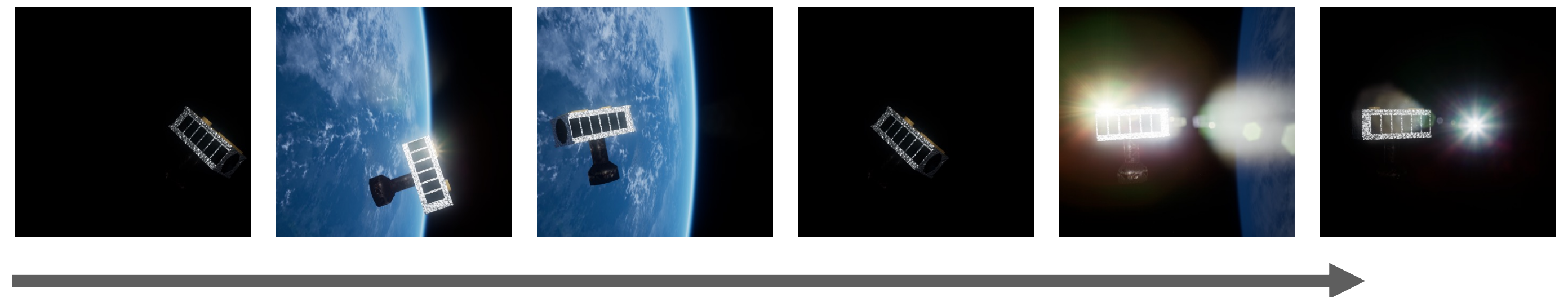
However, they can suffer from **poor reliability** in conditions that **deviate from training data**.

Ensuring reliable operation of DNNs requires detecting and reacting to changing conditions.

Training data



Deployment



How can we efficiently detect anomalous conditions during operation?

How can we efficiently retrain DNN models to adapt to changing conditions?

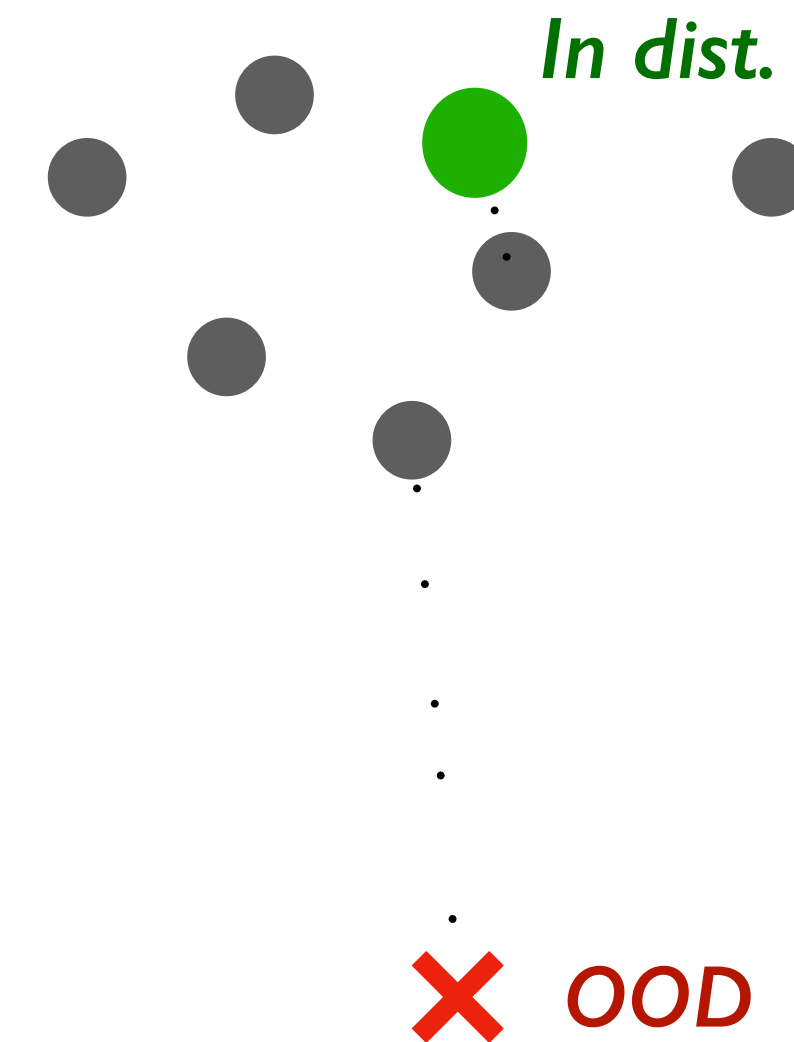
Outline

- Introduction
- **Efficient anomaly detection for pre-trained DNNs**
 - Problem Setup
 - SCOD: Sketching Curvature for Out-of-Distribution Detection
 - Insights and Results
- Leveraging out-of-distribution detection in the data-collection pipeline

Defining “out-of-distribution”

Distance based:

How far away is a new data point to training data?



Intuitive, easy to implement

What distance metric to use?
Need to hold on to training data at test time

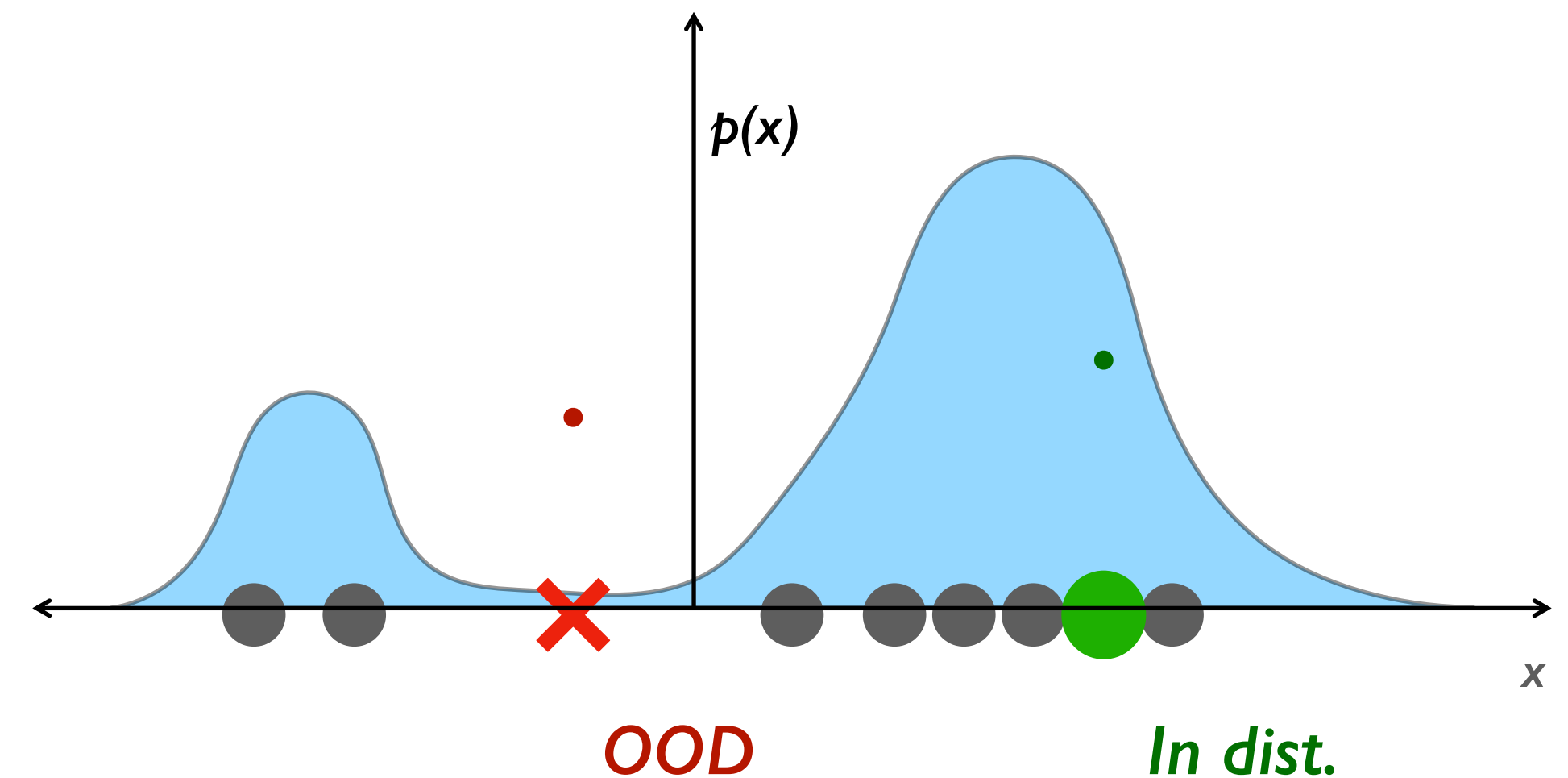
Defining “out-of-distribution”

Distance based:

How far away is a new data point to training data?

Distribution based:

Can we compare test-time data against the training data distribution?



**Parametric distribution
can summarize large
dataset**

*How to model distribution over high-dimensional inputs?
How to evaluate correlated test-time inputs?*

Defining “out-of-distribution”

Distance based:

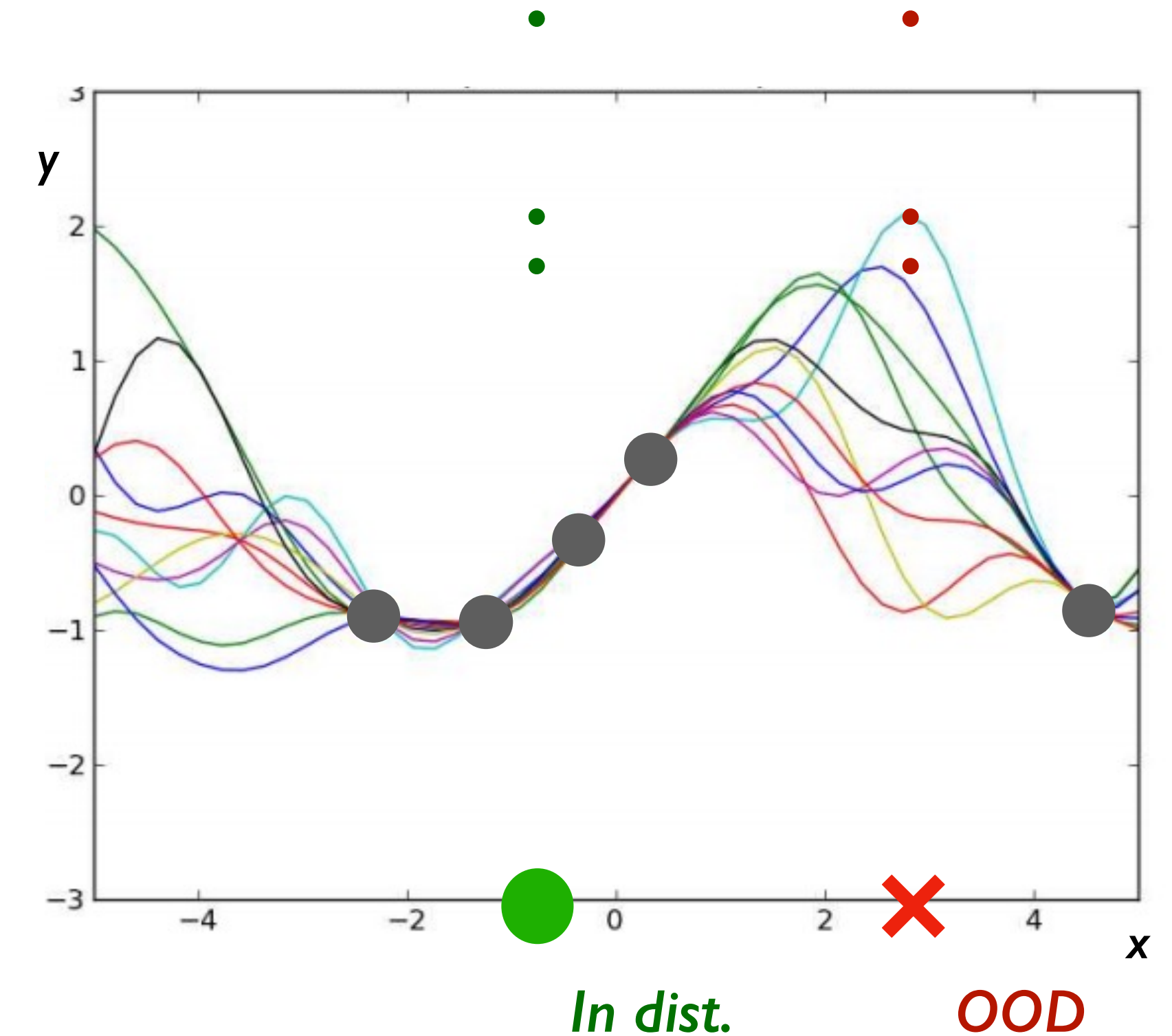
How far away is a new data point to training data?

Distribution based:

Can we compare test-time data against the training data distribution?

Functional uncertainty:

What outputs are still likely for a test-time input given the training data?



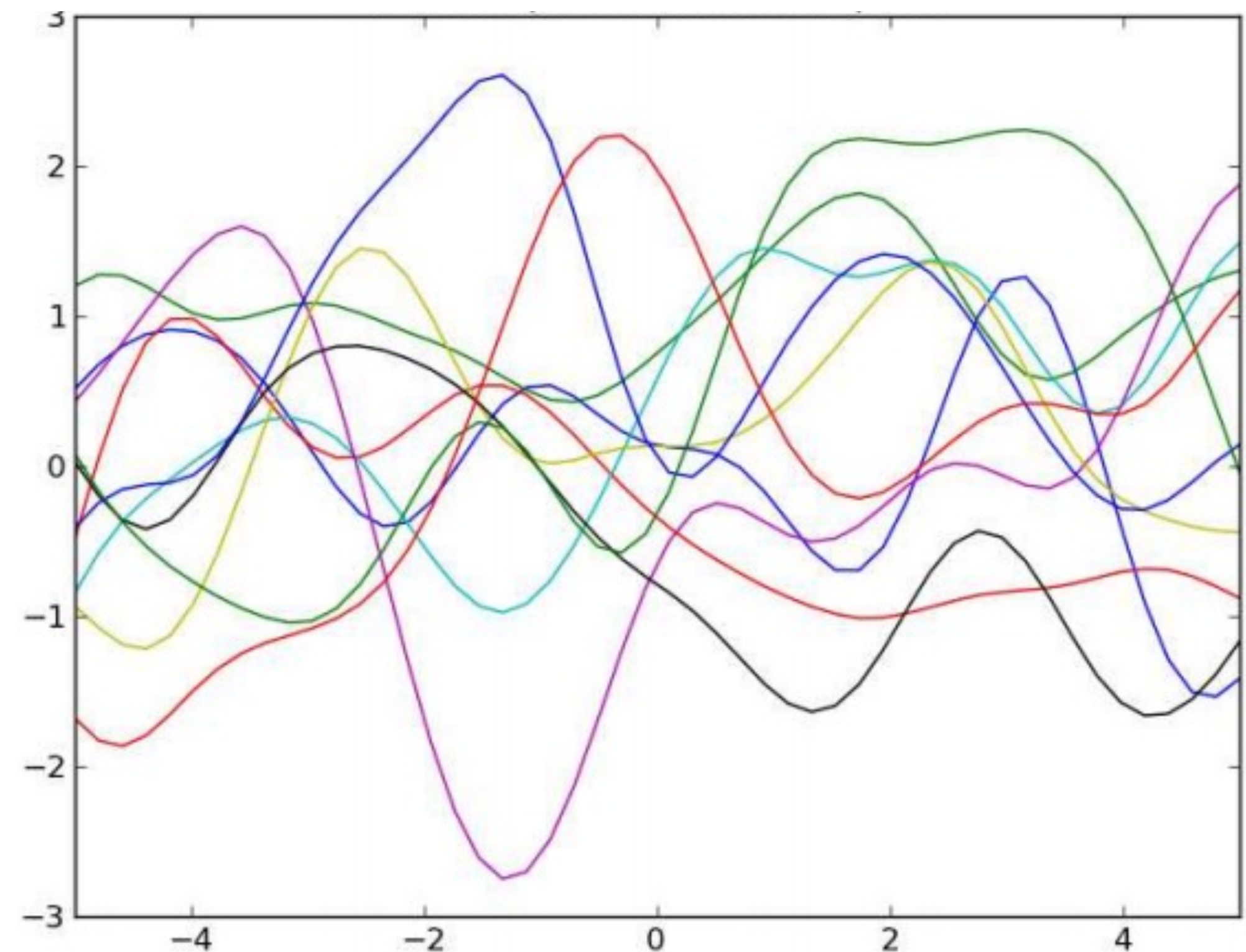
Accounts for input-output relationship
Useful for reasoning about adaptation

How to quantify functional uncertainty?

Bayesian methods offer a principled approach to quantifying functional uncertainty

Basic formula:

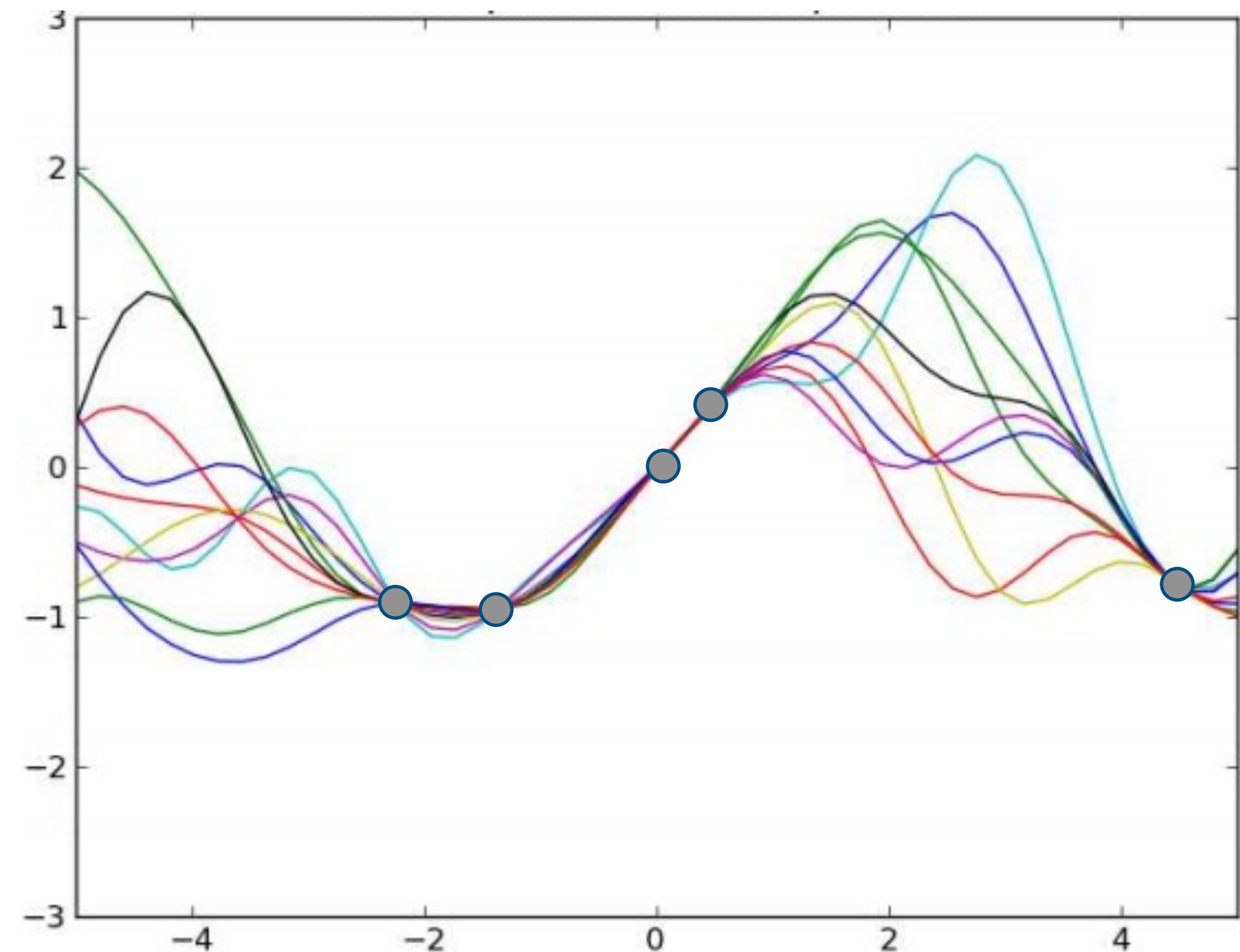
1. **Propose a broad prior over the space of functions mapping inputs to outputs.**
2. Given training data, compute posterior in function space.
3. Treat inputs with high posterior uncertainty as anomalous.



Bayesian methods offer a principled approach to quantifying functional uncertainty

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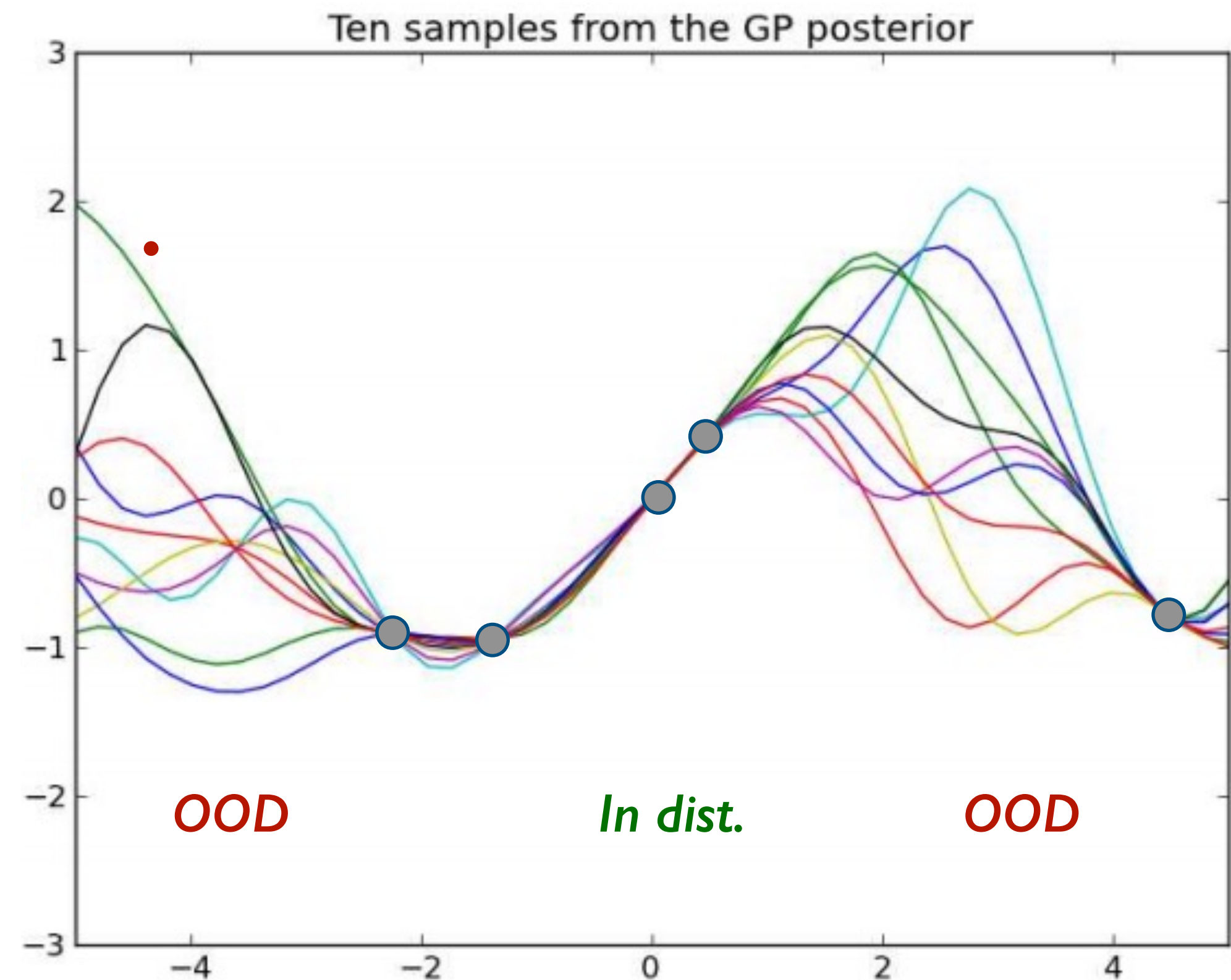
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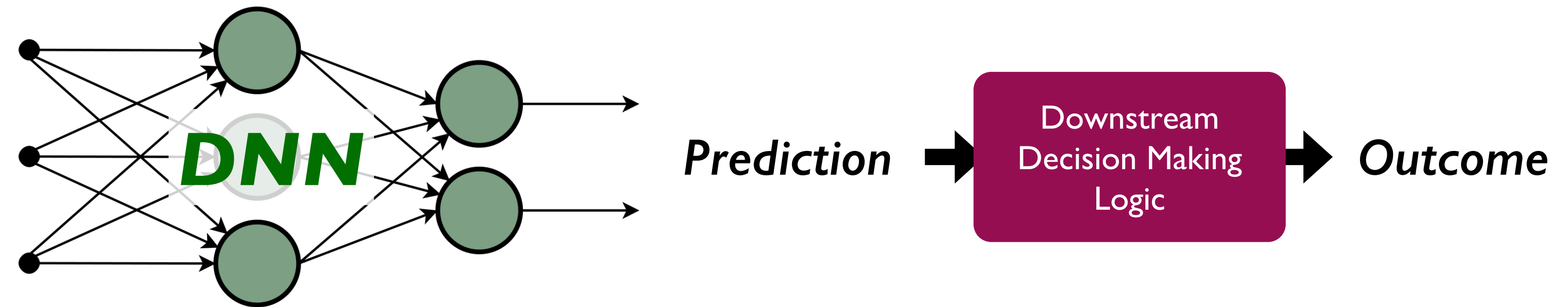
Bayesian methods offer a principled approach to quantifying functional uncertainty

Basic formula:

1. Propose a broad prior over the space of functions mapping inputs to outputs.
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3. **Treat inputs with high posterior uncertainty as anomalous.**



How can we reason about functional uncertainty for real-time anomaly detection?



Good functional prior

Need a task-aligned prior over functions on high-dimensional sensor input

Efficient posterior estimation and representation

Want a memory-efficient posterior representation which summarizes the training data

Efficient predictive uncertainty computation

Need to compute functional uncertainty at test inputs with low latency

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SCOD: Sketching Curvature for OOD detection

SCOD addresses these requirements through careful design decisions

Good functional prior

Leverage existing task DNN to create parametric prior

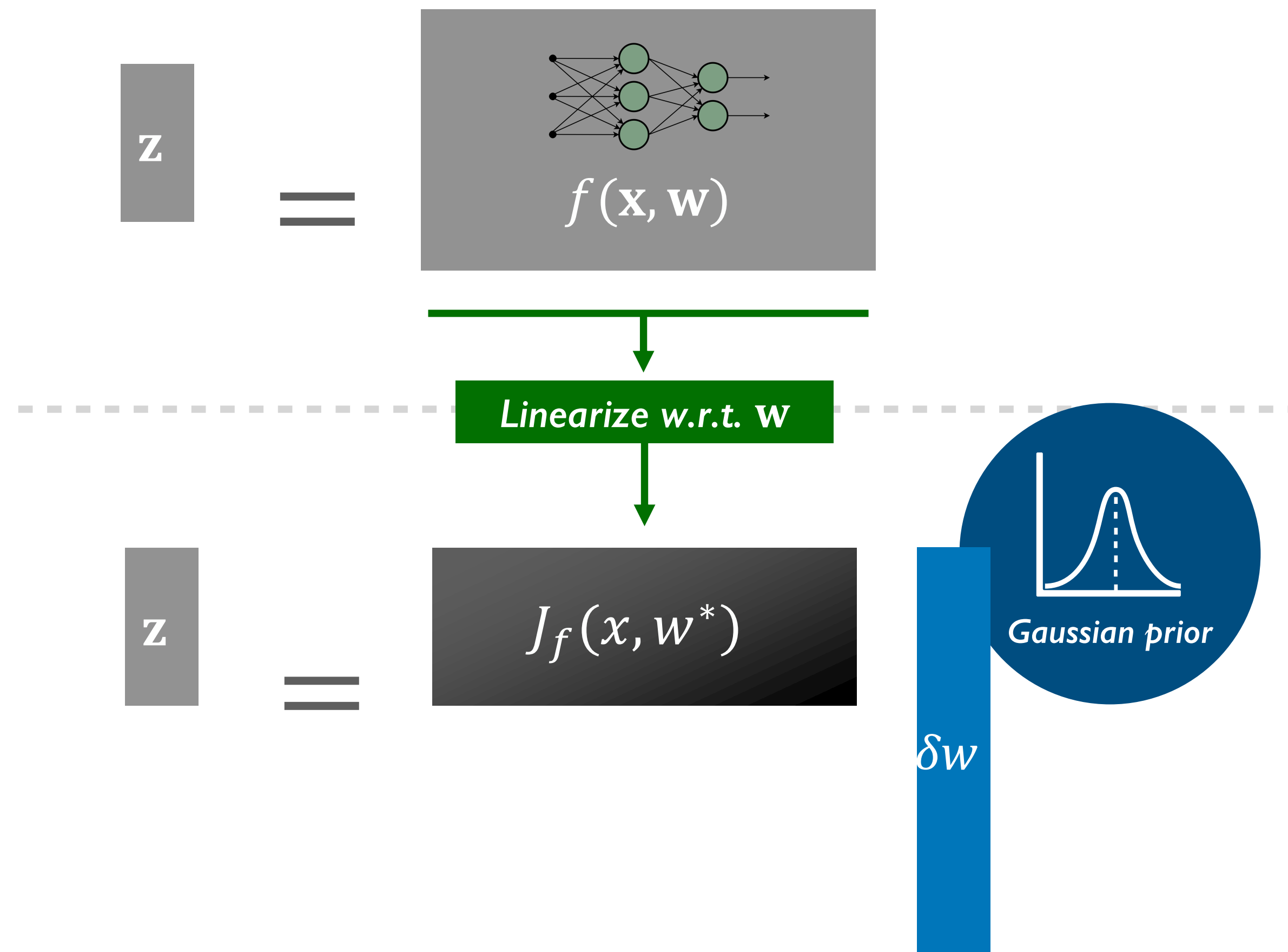
Efficient posterior estimation and representation

Low-rank posterior representation via matrix sketching

Efficient predictive uncertainty computation

Sampling-free predictive uncertainty computation

SCOD quantifies uncertainty in a DNN by applying Bayesian analysis to a surrogate linear model.



Wide and aligned prior:

Leverages task-specific structure of existing, pre-trained DNN

Tractable posterior computation:

Low-rank approximation via matrix sketching mitigates memory bottlenecks

Efficient predictive uncertainty estimation:

Linearized model allows for direct posterior predictive uncertainty computation, without Monte-Carlo sampling

SCOD: Sketching Curvature for OoD Detection

Algorithm Overview

*DNN with
optimized weights*

$$\mathbf{z} = f(\mathbf{x}, \mathbf{w}^*)$$

*Output distribution
(e.g. Gaussian, Categorical)*

$$p(\mathbf{y} \mid \mathbf{z})$$

Training Dataset

$$\mathcal{D} = \{(\mathbf{x}_i, \mathbf{y}_i)\}_{i=1}^M$$

Linearize model

$$\mathbf{z} \approx f(\mathbf{x}, \mathbf{w}^*) + J_f(\mathbf{x}, \mathbf{w}^*) \cdot \delta \mathbf{w}$$

Offline ·

*Compute Posterior Distribution
on $\delta \mathbf{w}$*

$$p(\delta \mathbf{w} \mid \mathcal{D}) = \mathcal{N}(\delta \mathbf{w}; \mathbf{0}, \Sigma_{\mathbf{w}})$$

Online ·

*Compute posterior predictive distribution
for linearized model*

$$p(\mathbf{z} \mid \mathbf{x}, \mathcal{D}) = \mathcal{N}(\mathbf{z}; f(\mathbf{x}, \mathbf{w}^*), J_f(\mathbf{x}, \mathbf{w}^*) \Sigma_{\mathbf{w}} J_f(\mathbf{x}, \mathbf{w}^*)^\top)$$

*and overall uncertainty
score*

$$\text{Unc}(\mathbf{x} \mid \mathcal{D}) = \text{Entropy}\left[\int p(\mathbf{y} \mid \mathbf{z}) p(\mathbf{z} \mid \mathbf{x}, \mathcal{D}) d\mathbf{z}\right]$$

SCOD: Sketching Curvature for OoD Detection

Estimating and representing the posterior covariance $\Sigma_{\mathbf{w}}$

Analytic expression for posterior covariance involving only local curvature of DNN (Gauss Newton matrix)

$$\Sigma_{\mathbf{w}} = \left(\sigma_0^{-2} I + \sum_{i=1}^M J_f(\mathbf{x}^i, \mathbf{w}^*)^\top F_Z(\mathbf{z}^i) J_f(\mathbf{x}^i, \mathbf{w}^*) \right)^{-1}$$

Fisher information matrix of output distribution

Sketching based eigenvalue decomposition

Represent in terms of low-rank factors

$$U \in \mathbb{R}^{N \times d}, \lambda \in \mathbb{R}^d$$

$$\Sigma_{\mathbf{w}} \approx (\sigma_0^{-2} I + U \Lambda U^\top)^{-1}$$

Woodbury Matrix Identity

Never need to realize full NxN matrix

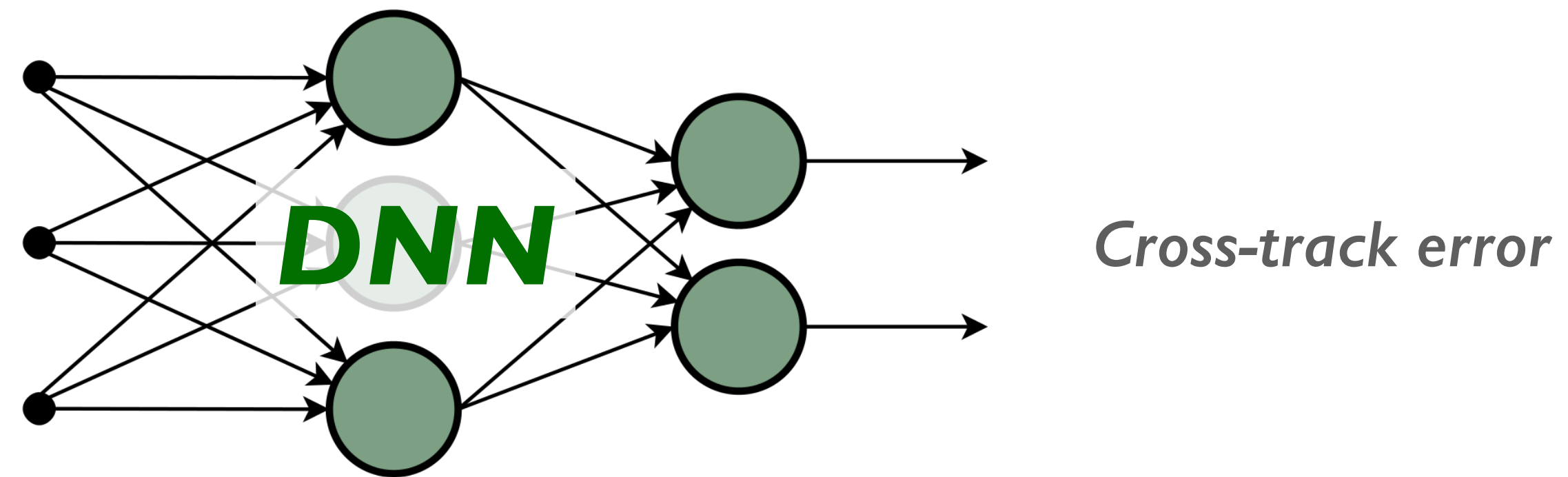
$$\Sigma_{\mathbf{w}} \approx \sigma_0^2 (I - U D U^\top)$$

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Qualitative Case Study

Visuomotor control of autonomous aircraft taxiing



Trained on simulated data from clear weather, early morning

Tested on varying weather conditions and times of day

Key questions:

- How SCOD's uncertainty estimate behave on out-of-distribution settings?
- How does the uncertainty estimate correlate with model error?

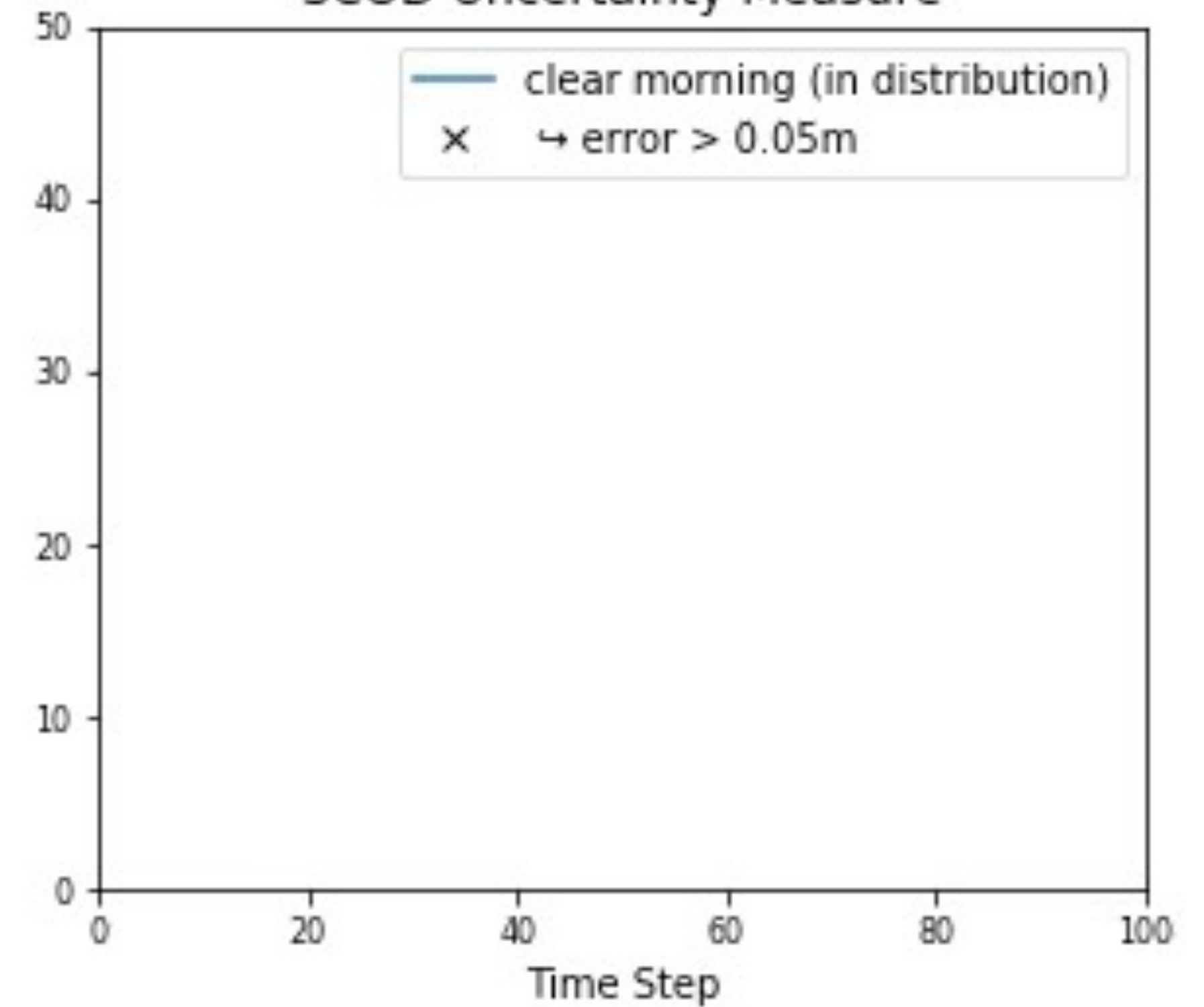
Qualitative Case Study

Visuomotor control of autonomous aircraft taxiing

clear morning (in distribution)



SCOD Uncertainty Measure



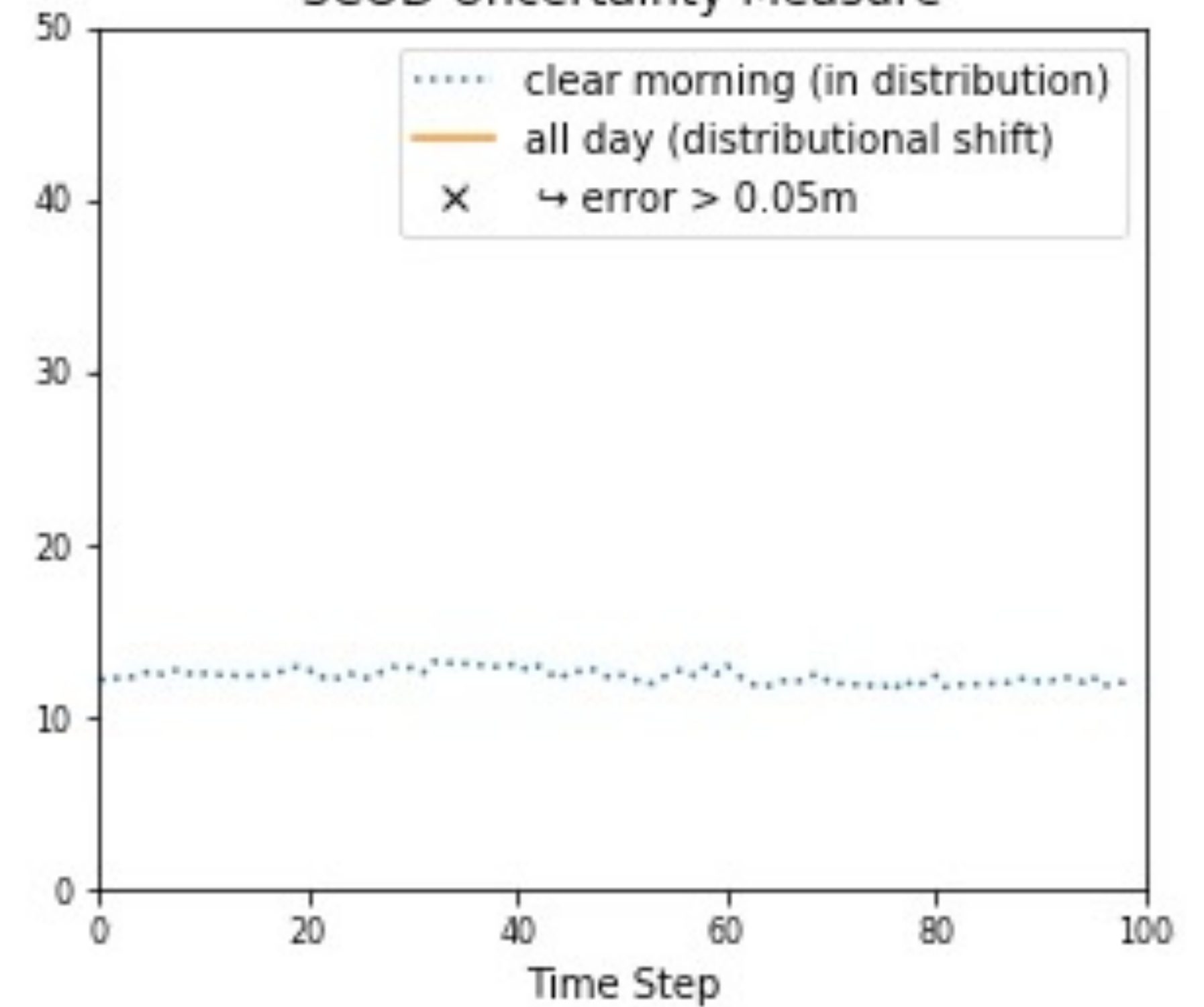
Qualitative Case Study

Visuomotor control of autonomous aircraft taxiing

all day (distributional shift)



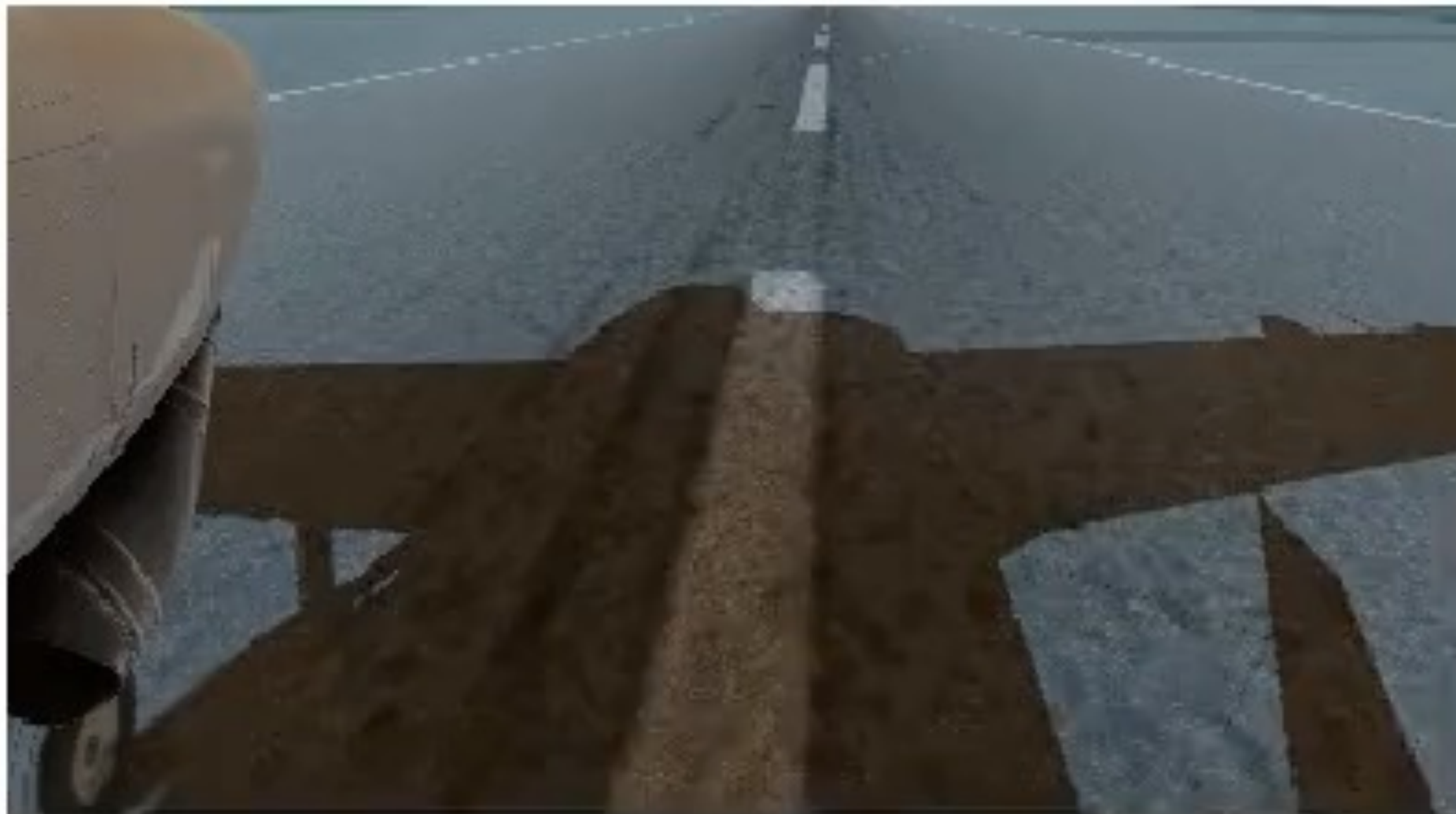
SCOD Uncertainty Measure



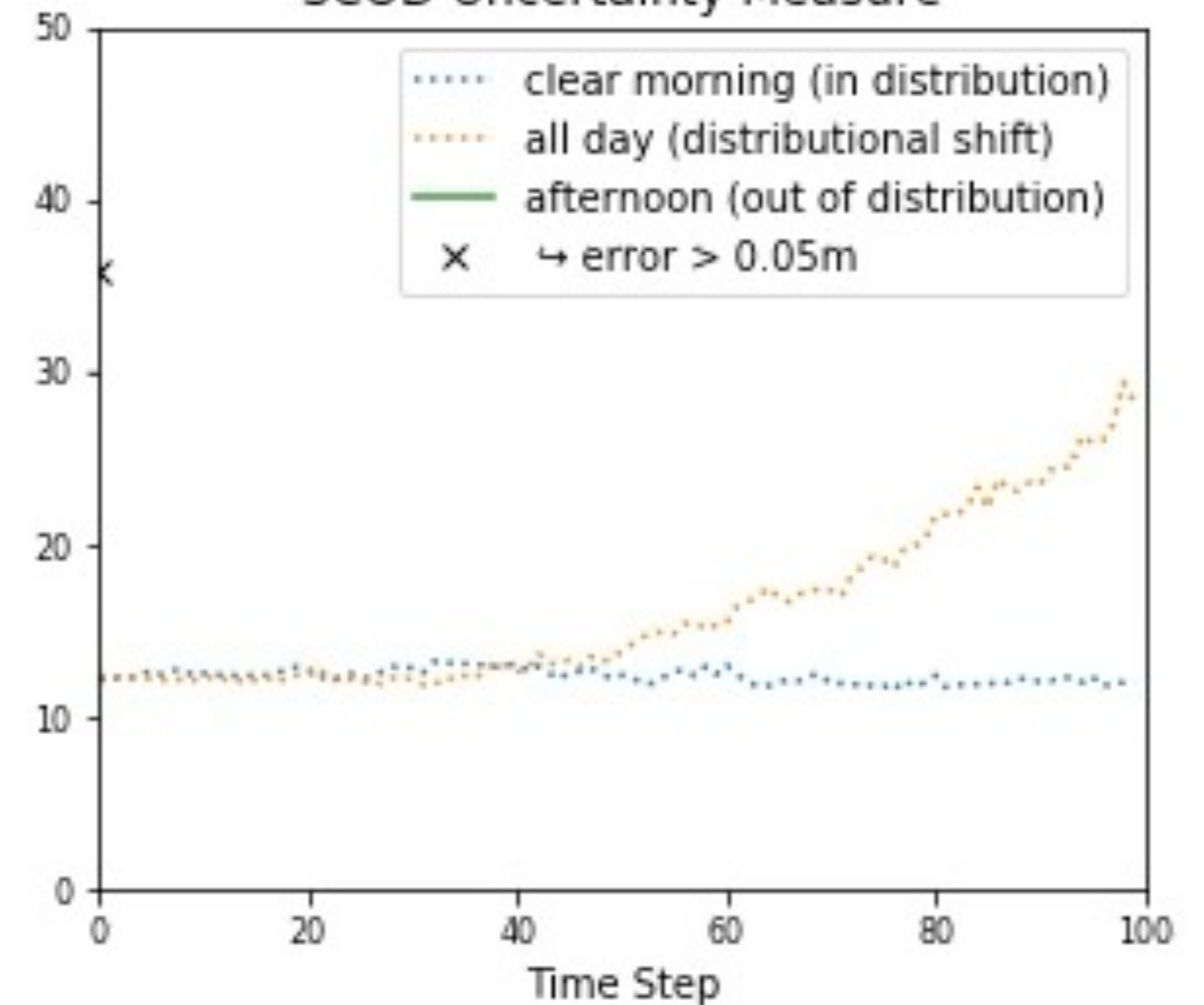
Qualitative Case Study

Visuomotor control of autonomous aircraft taxiing

afternoon (out of distribution)



SCOD Uncertainty Measure



Quantitative Results


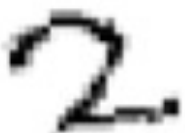


















Performance in classifying OoD inputs (AUROC)

Compared against:

- **Naive**: use base DNN for uncertainty estimate
- General post-training uncertainty quantification methods:
 - **Local Ensemble** [Madras et al., 2019]
Low-rank Hessian approx. computed via 2nd-order autodifferentiation
 - **KFAC Laplace** [Ritter et al., 2018]
Layer-wise Kronecker-factored Hessian approx., sampled posterior at test time
- **Deep Ensemble** [Lakshminarayanan et al., 2018] (retrain $K=5$ identical models)

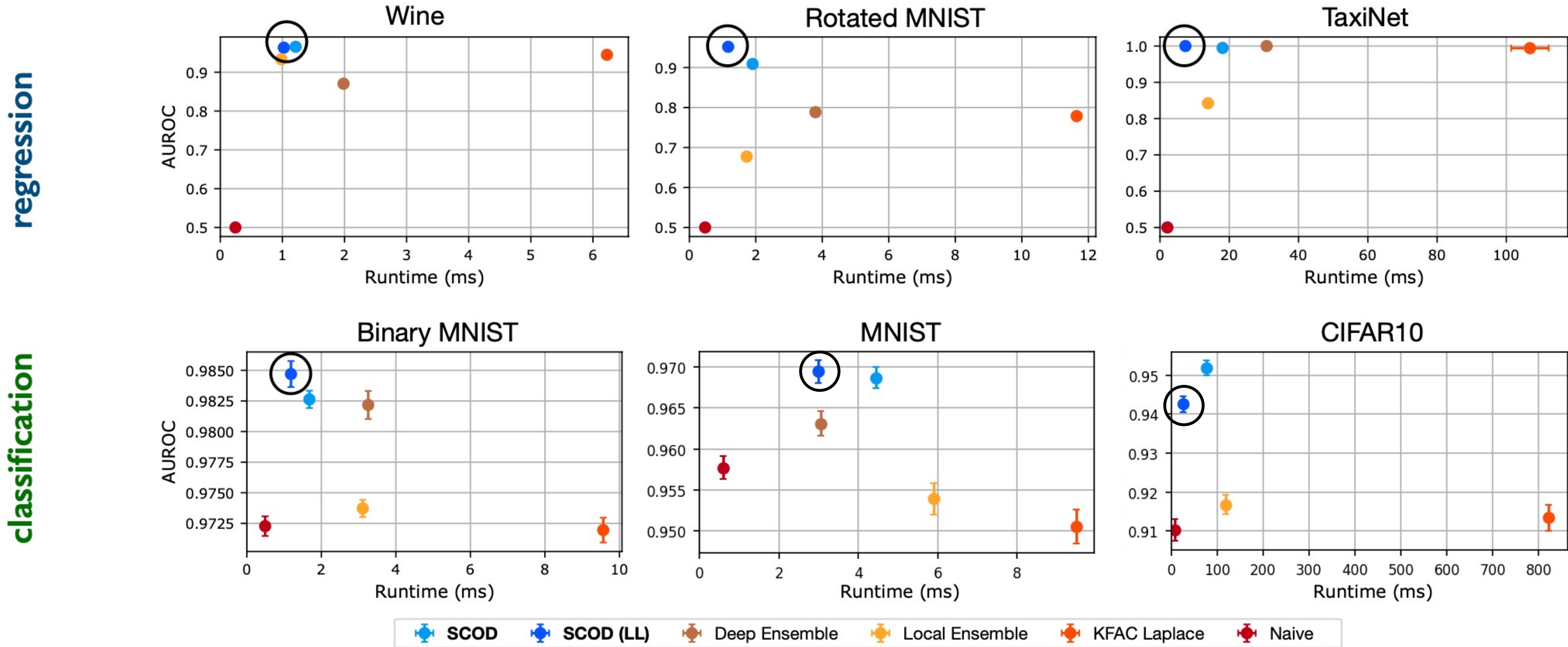
Quantitative Results

On a wide range of regression and classification tasks

	Experiment	In Dist		Out of Dist		Network
regression	Wine Properties -> Quality	Red wines		White wines		3 Layer MLP (11.4k params)
	Rotated MNIST Image -> Angle					3 Layer CNN (16.9k params)
	TaxiNet Image -> CTE and Heading					ResNet18 (11.2M params)
classification	Binary MNIST Image -> 0/1					3 Layer CNN (14.3k params)
	MNIST Image -> Digit					3 Layer CNN (15.5k params)
	CIFAR 10 Image -> Class					DenseNet (7M params)

Quantitative Results

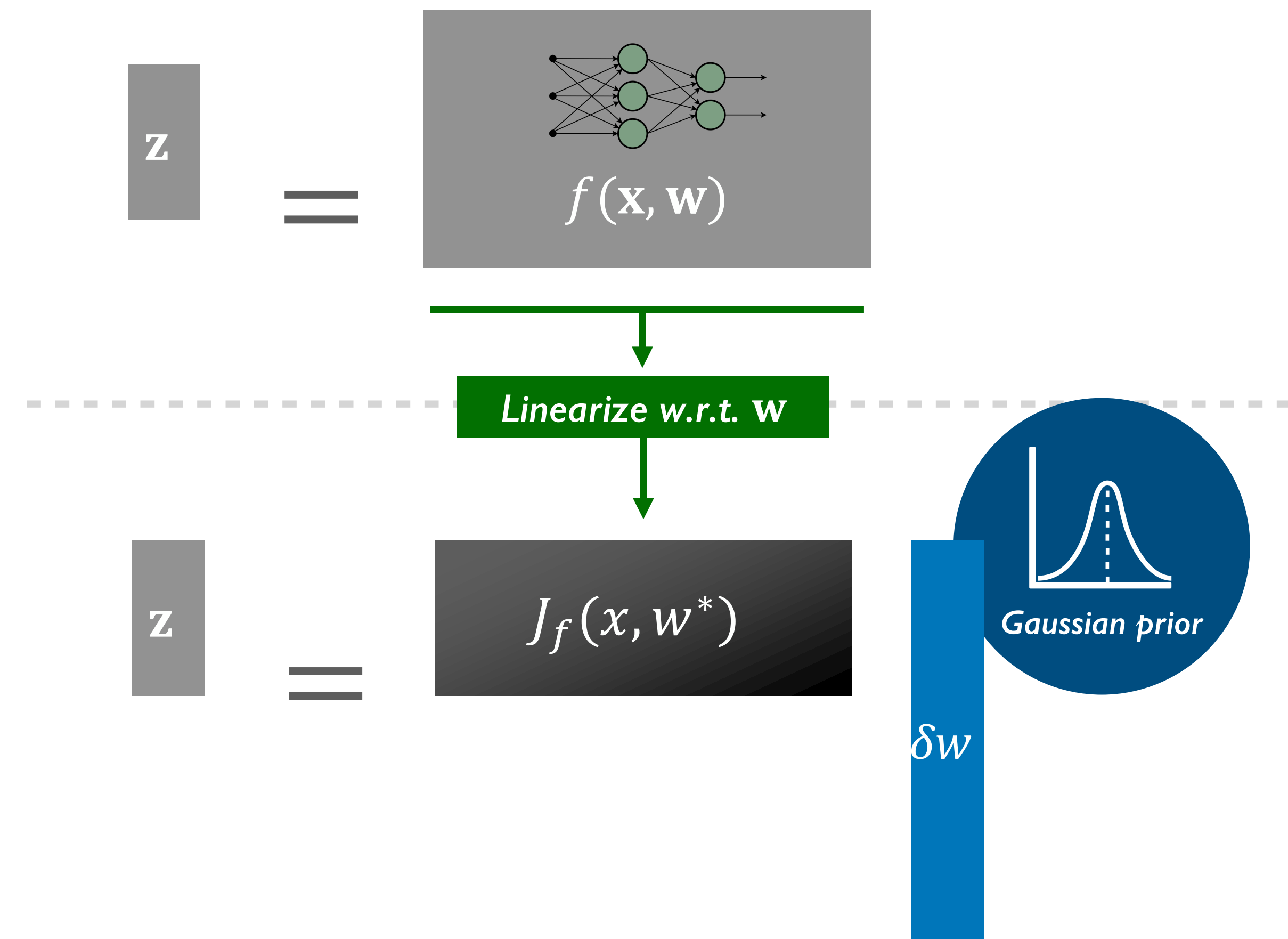
Across a suite of regression and classification tasks, SCOD outperforms methods applicable to pre-trained models in terms of AUROC and runtime



Sketching Curvature for Efficient OOD Detection for Deep Neural Networks

SCOD was presented at UAI 2021, available on [arXiv:2102.12567](https://arxiv.org/abs/2102.12567)

Code is available at <https://github.com/StanfordASL/SCOD/>

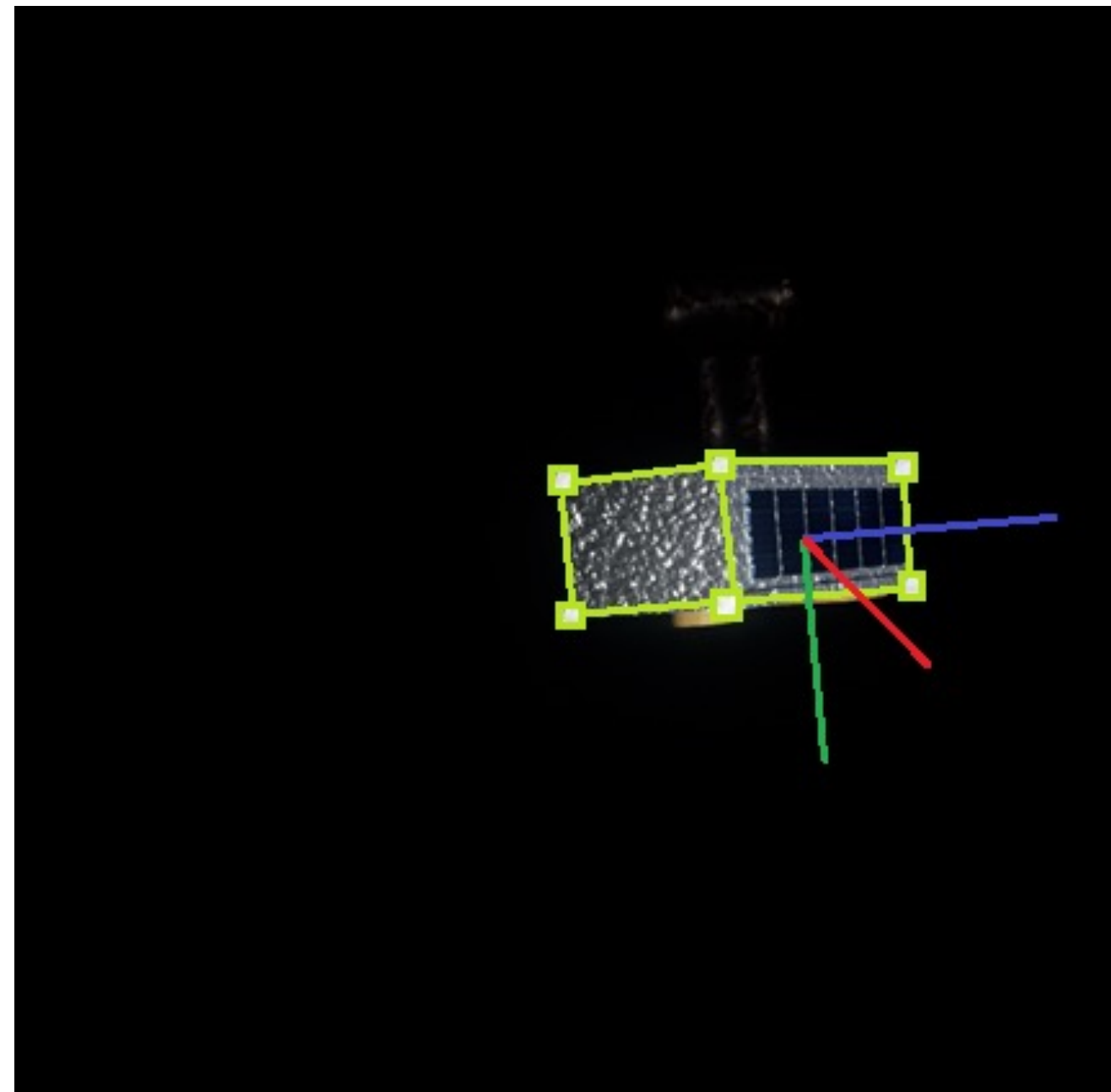
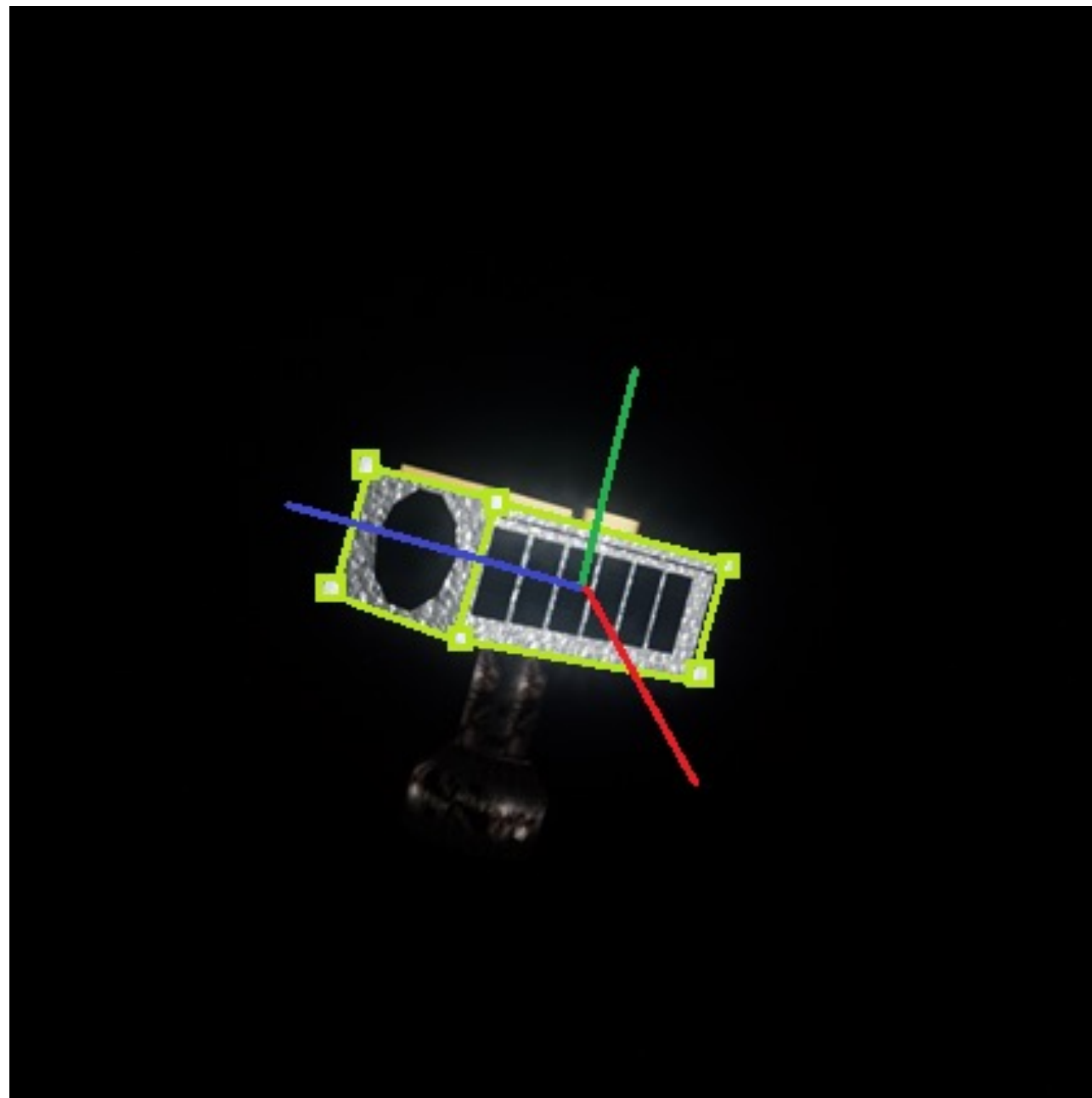


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Future work: Efficient OOD detection for data labeling

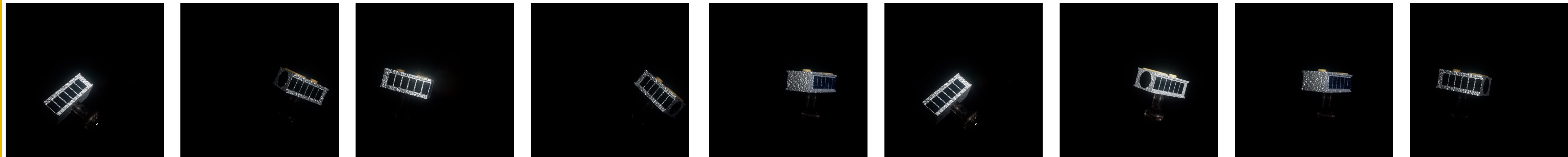
Case study: ExoRomper dataset



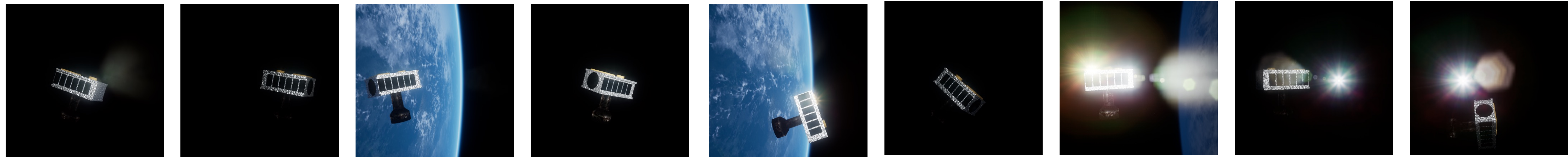
From an image, use a trained model to estimate pose (location + attitude) of a spacecraft

OOD detection can identify areas where current DNN is not competent

Training dataset



Deployment



OoD

OoD

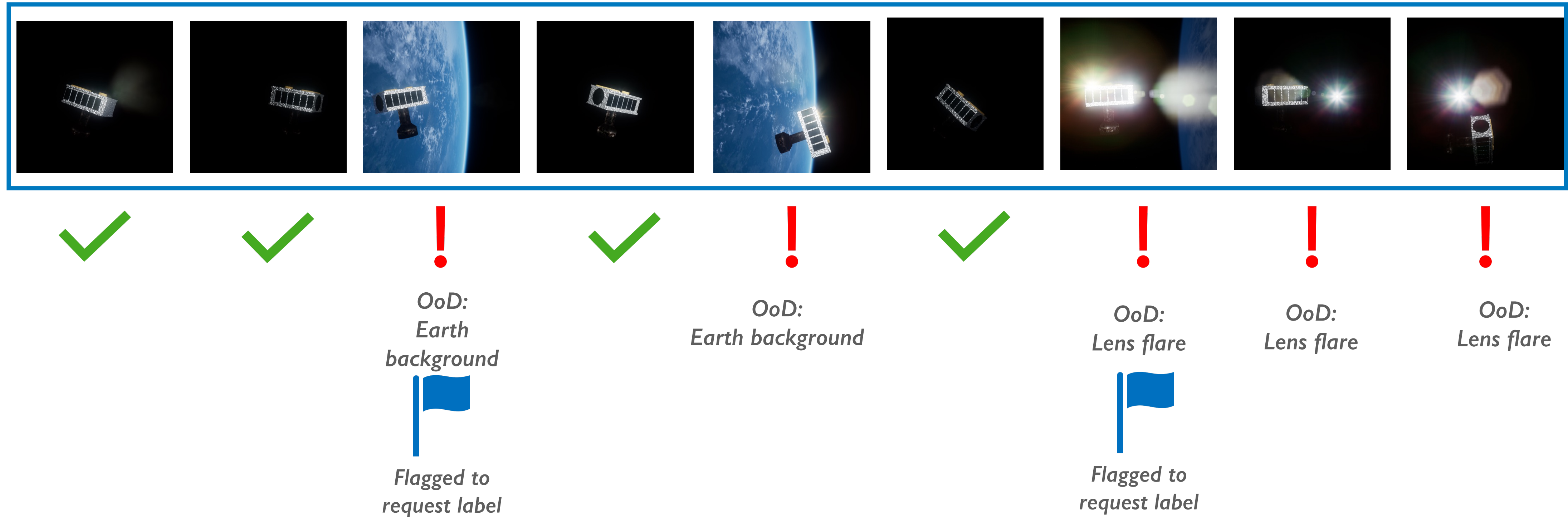
OoD

OoD

OoD

Can we use OOD information to select inputs to store and label for retraining?

Deployment



Goal: improve DNN performance while being cognizant of the costs of data storage and labeling

Questions?



Somrita Banerjee



Ed Schmerling



Navid Azizan



Marco Pavone

